

# Shift and width of momentum distribution of projectile-like fragments produced at 290MeV/u

Sadao MOMOTA

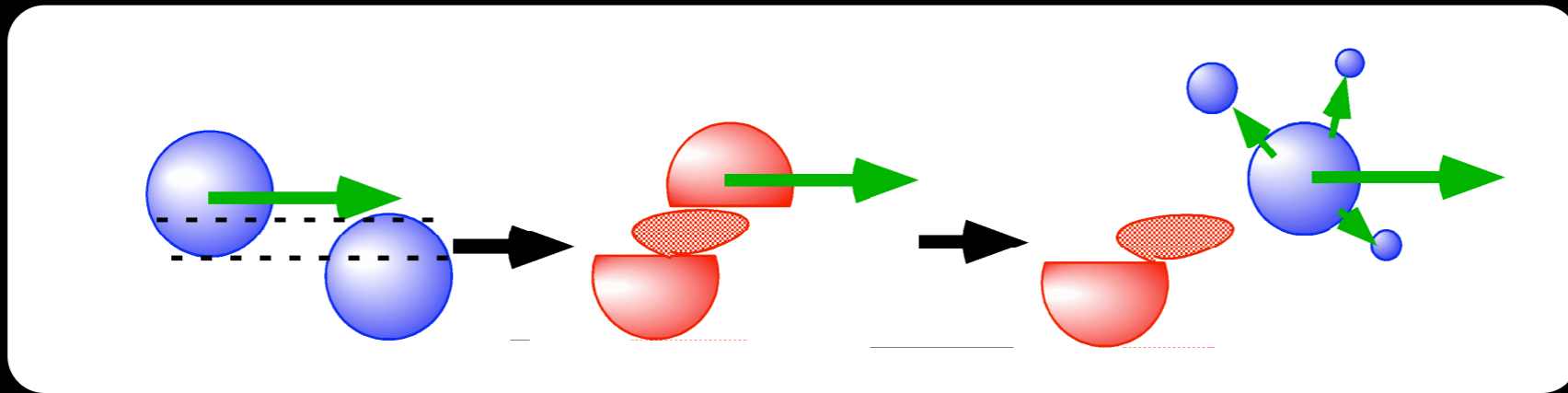
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# Projectile fragmentation process

- Powerful process to produce RNB
  - Structure/reaction of unstable nuclei
  - Tools/probes applied to various fields



- Momentum distribution
  - Interaction acting in production process
  - Production cross-sections ( $\sigma_{\text{Prod.}}$ ) of PLFs

# $P_L$ distribution of PLFs

Exp. / Simple model / Parameterization

- Width :  $\sigma_L$ 
  - +Fermi momentum in nucleus Goldhaber(1974)
  - +Sequential evaporation Morrissey(1989)
  - +Universal parametrization Tarasov(2004)
  - +Analyzed by asymmetric func. Notani(2004), Mocko(2007)
- Shift (deceleration) :  $-\Delta P_L$ 
  - +Linear dep. on  $\sigma_L$  Greiner(1975)  
 $\Delta A$  Kaufman(1982), Morrissey(1989)
  - + $E_B$  of removed nucleons Borrel(1983)
  - + $N_{\text{Pair}}$  of nucleons Notani(2004)

# $P_T$ distribution of PLFs

Exp. / Simple model / Parameterization

- Width :  $\sigma_T^2 = \sigma_L^2 + \dots$ 
  - + Orbital deflection due to interaction with target  
Bibber(1979)
  - + Coulomb final state interaction  
Wong(1982)
- Shift (deflection) :  $\Delta P_L$ 
  - + Empirical consideration of nuclear and Coulomb force  
Giacomelli(2004)
  - + Observation with Ar + Nb, Tb, Au @ 290MeV/u  
Momota(2007)

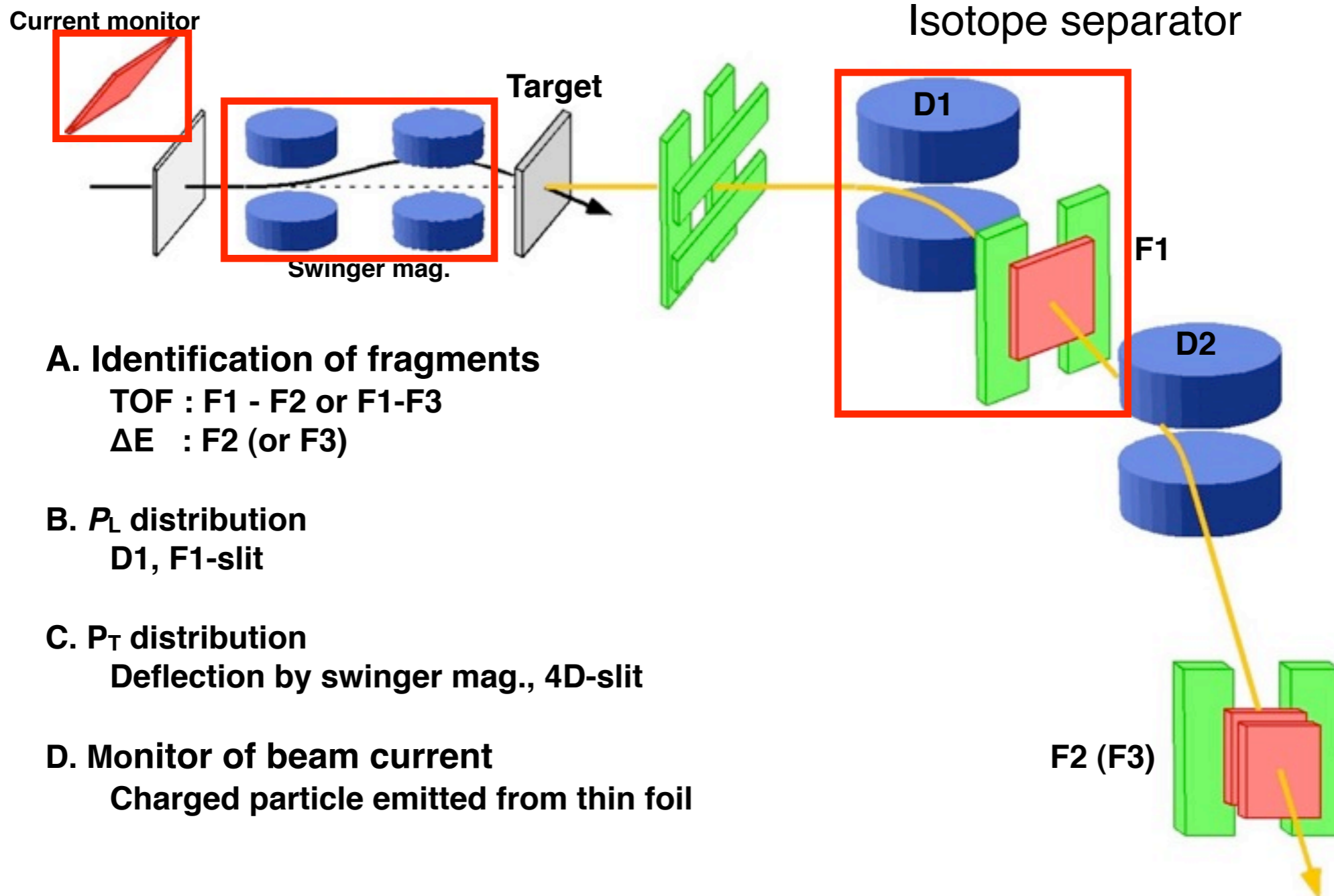
# Object of this talk

- Systematic measurements of  $P$  distributions of PLFs at 290 MeV/u
  1.  $P_L$  : asymmetric Gaussian functions
  2.  $P_T$  : off-centered Gaussian functions
  3. Systematics

Reliable  $\sigma_{\text{Prod.}}$  of PLFs

Simulation of heavy ion transport phenomena

# Experimental setup



# Reaction/Meas. parameters

Beam :  $^{40}\text{Ar}$ ,  $^{84}\text{Kr}$  290 MeV/u

Target :  $^{12}\text{C}$ ,  $^{27}\text{Al}$ ,  $^{93}\text{Nb}$ ,  $^{159}\text{Tb}$ ,  $^{197}\text{Au}$   
          1.0      0.8      0.5      0.5      0.333 mm

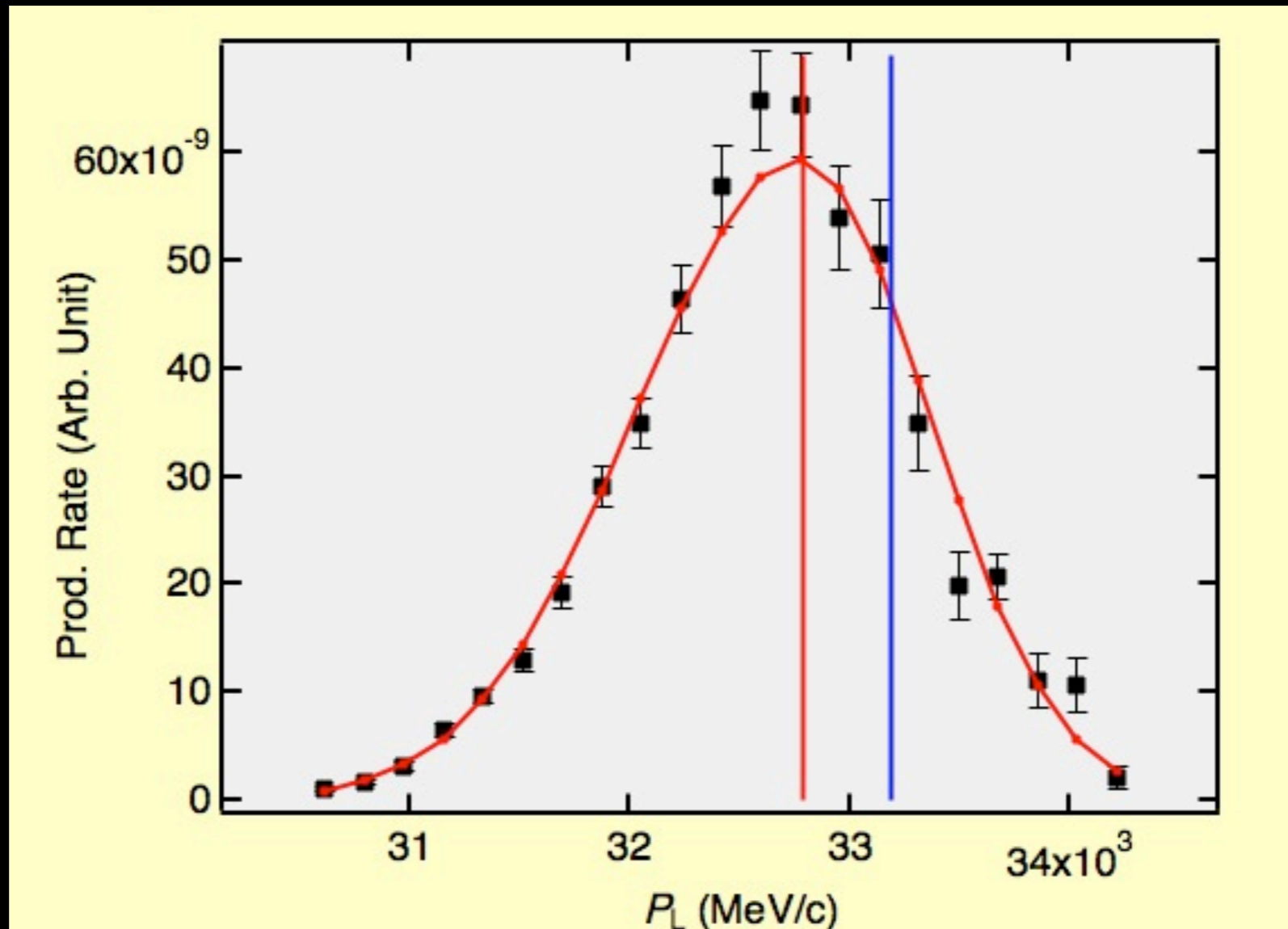
Acceptance of ISOL :

$$\Delta P/P_0 = 1.0\% (\text{Ar}) / 0.5\% (\text{Kr})$$

$$\Delta\theta_x = \Delta\theta_y = 26 \text{ mrad} \quad P_L \text{ dist.}$$

$$8 \text{ mrad} \quad P_T \text{ dist.}$$

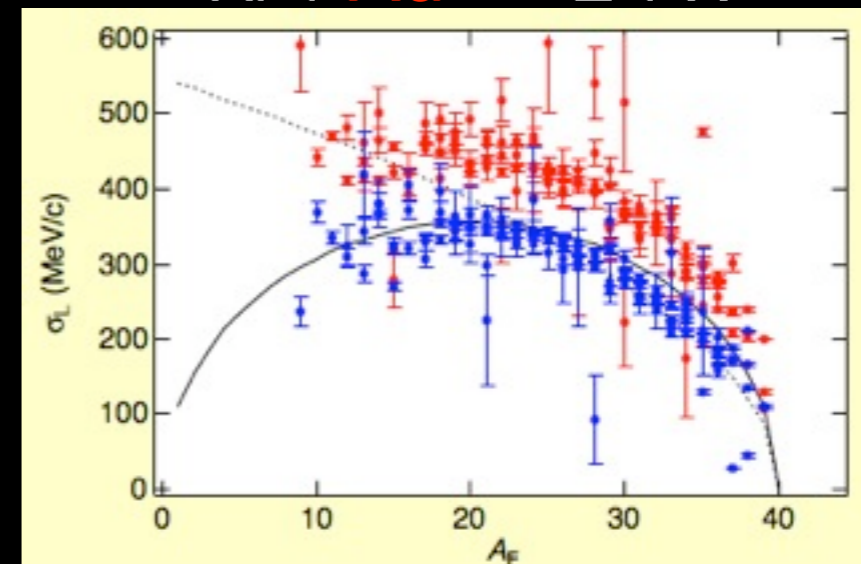
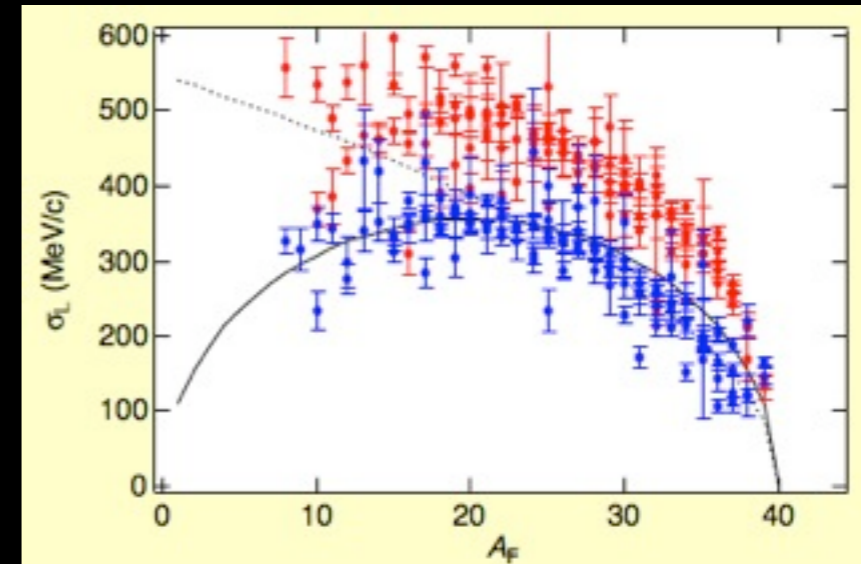
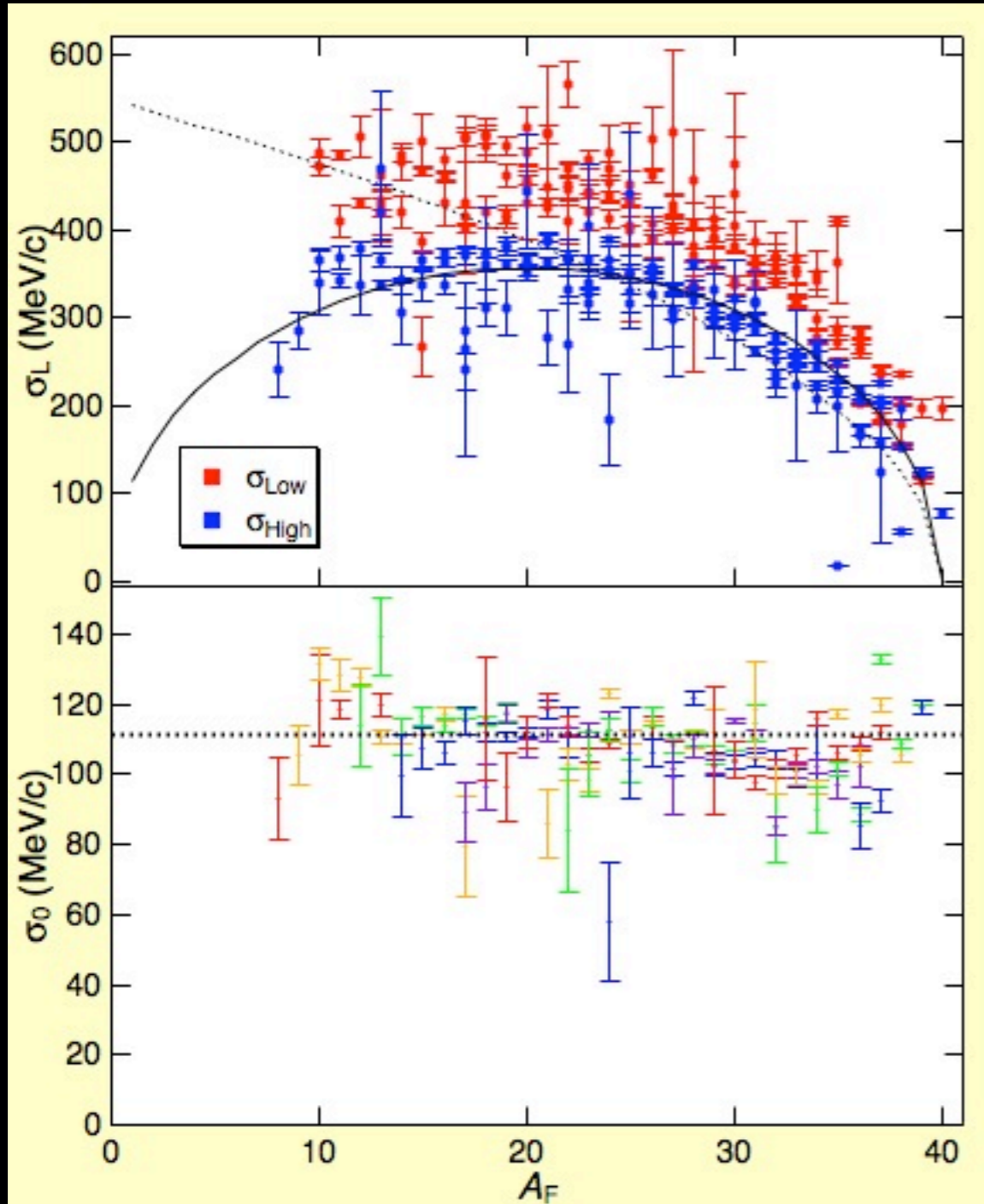
# $P_L$ distribution



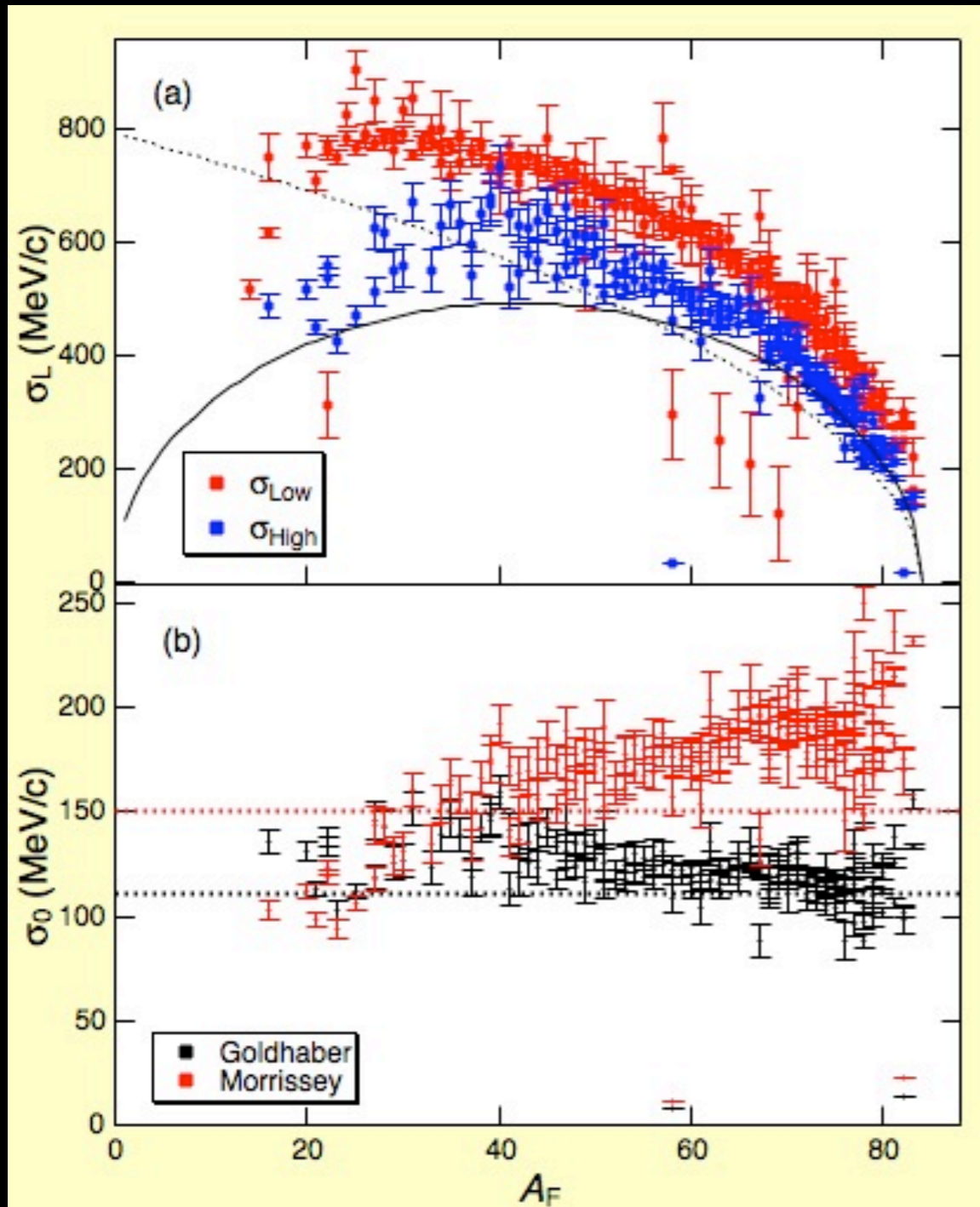
Analyzed by asymmetric Gaussian functions



# Width of $P_L$ distribution : Ar



# Width of $P_L$ distribution : Kr

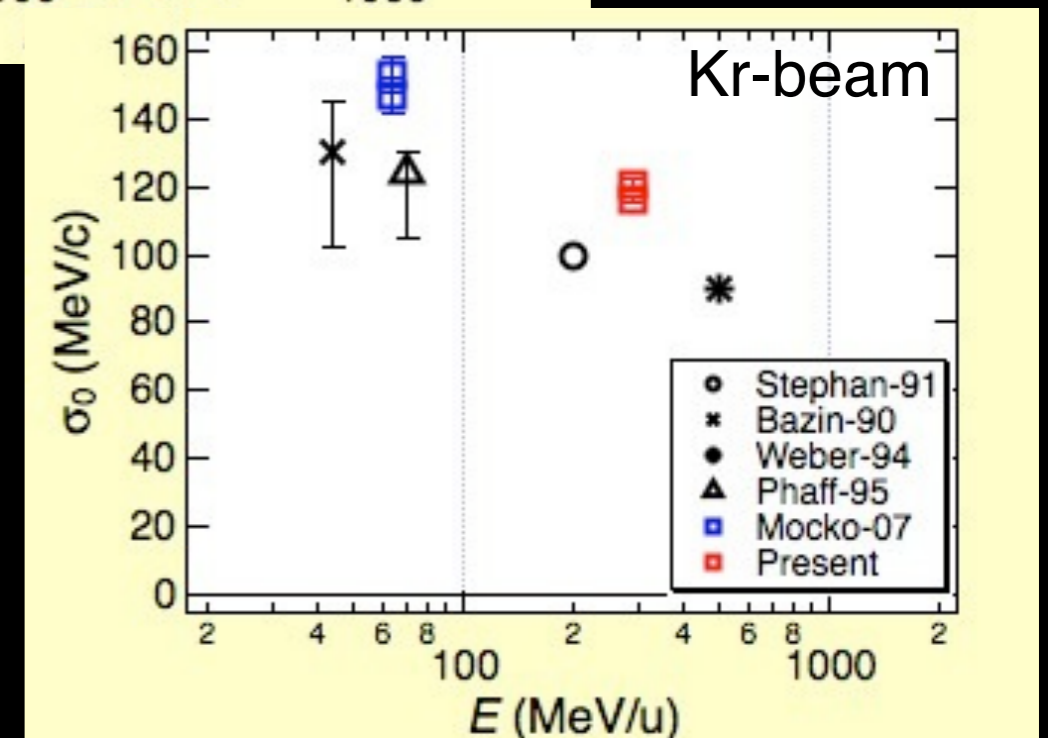
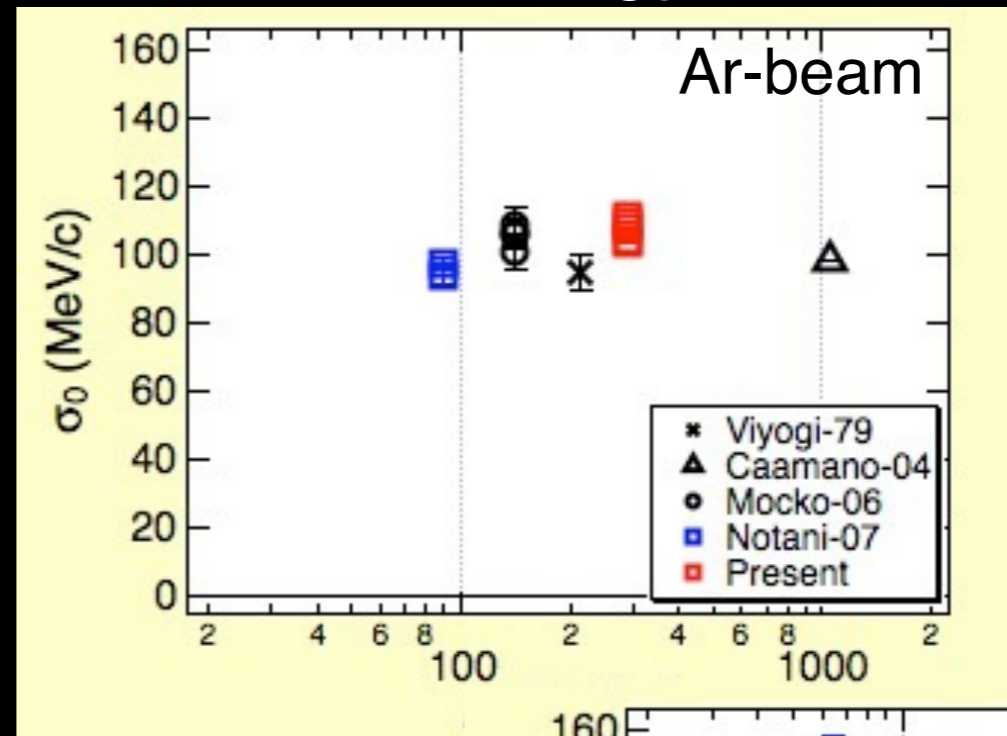
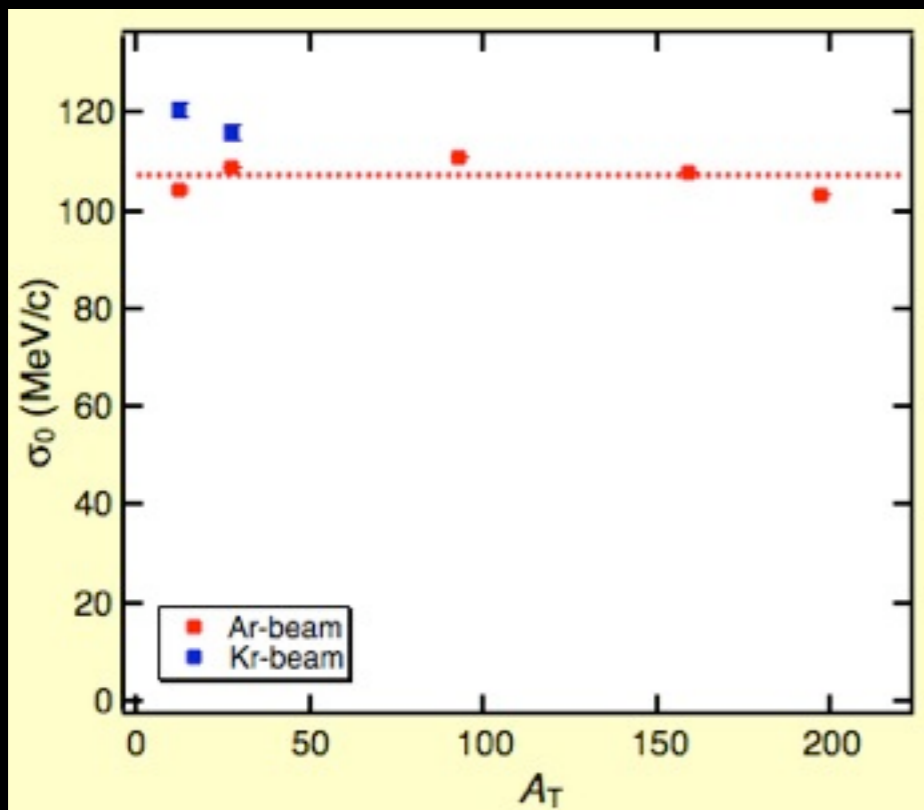


- GH model is probable for  $A_F < 50$ .
- $\sigma_0$  (Kr)  $>$   $\sigma_0$  (Ar)

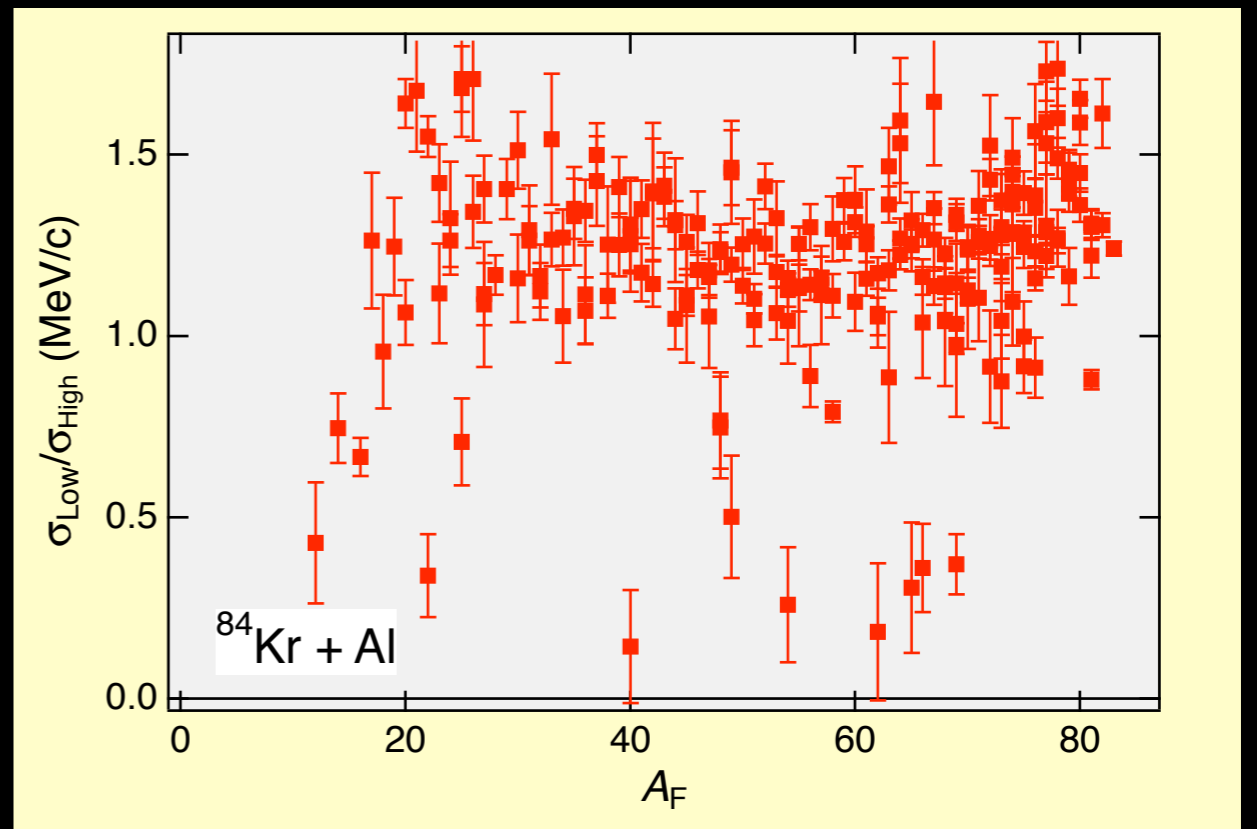
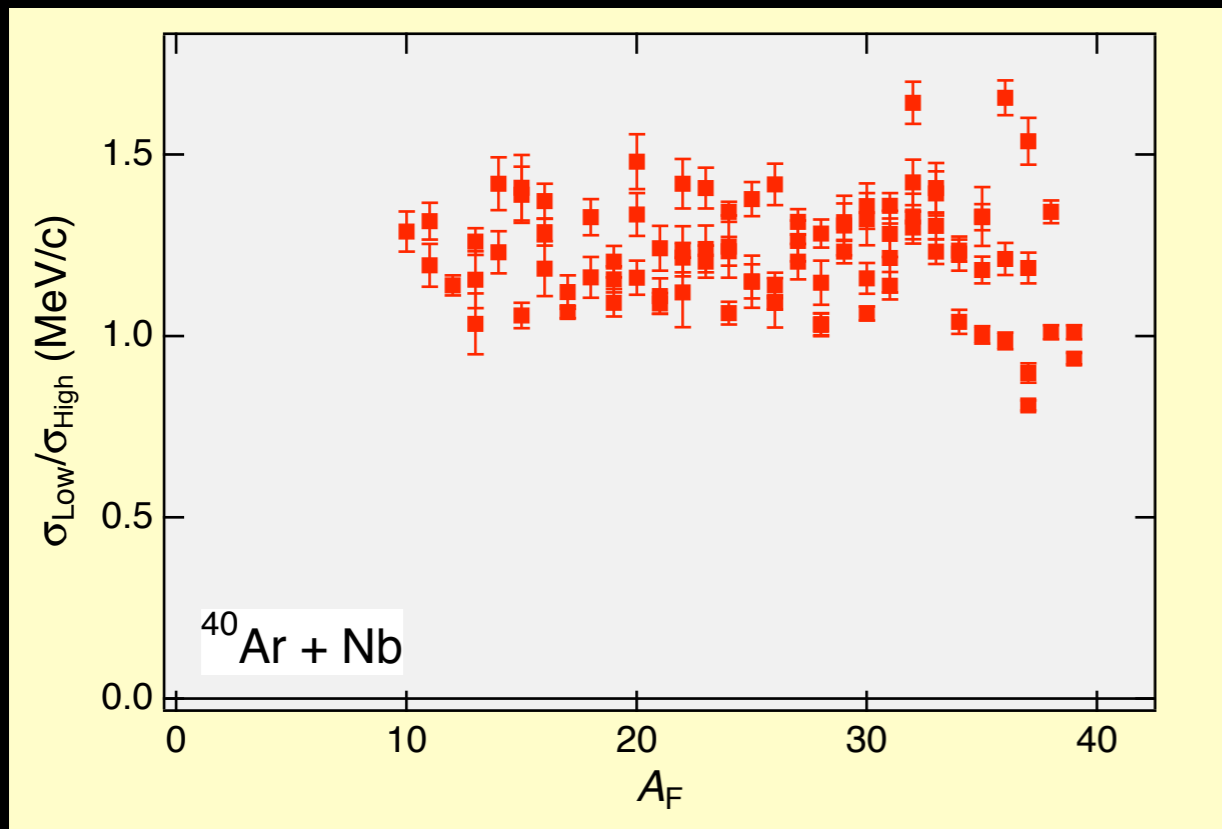
# Reduced momentum width

Energy Dep.

Target&Beam Dep.

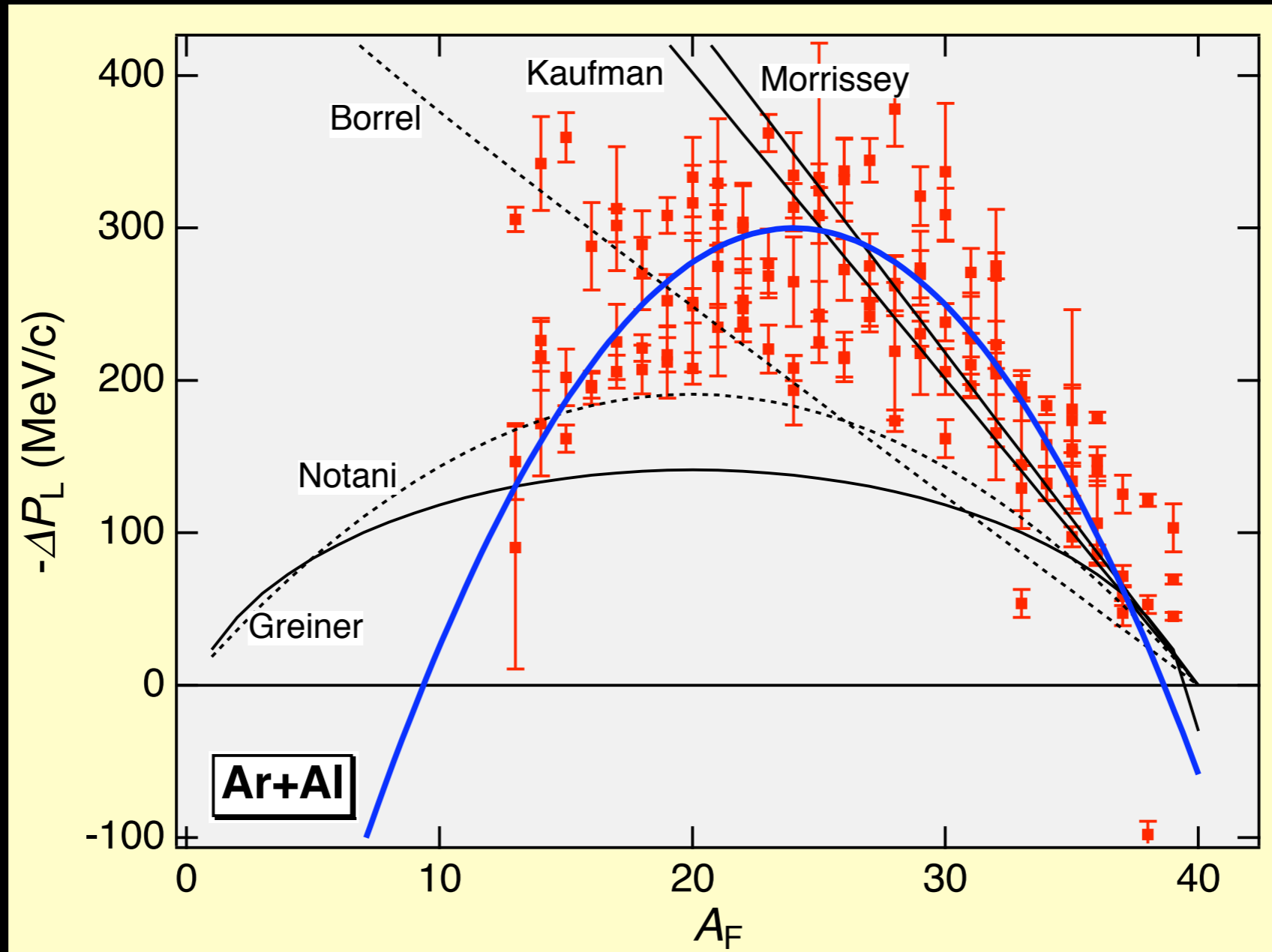


# Asymmetric width of $P_L$

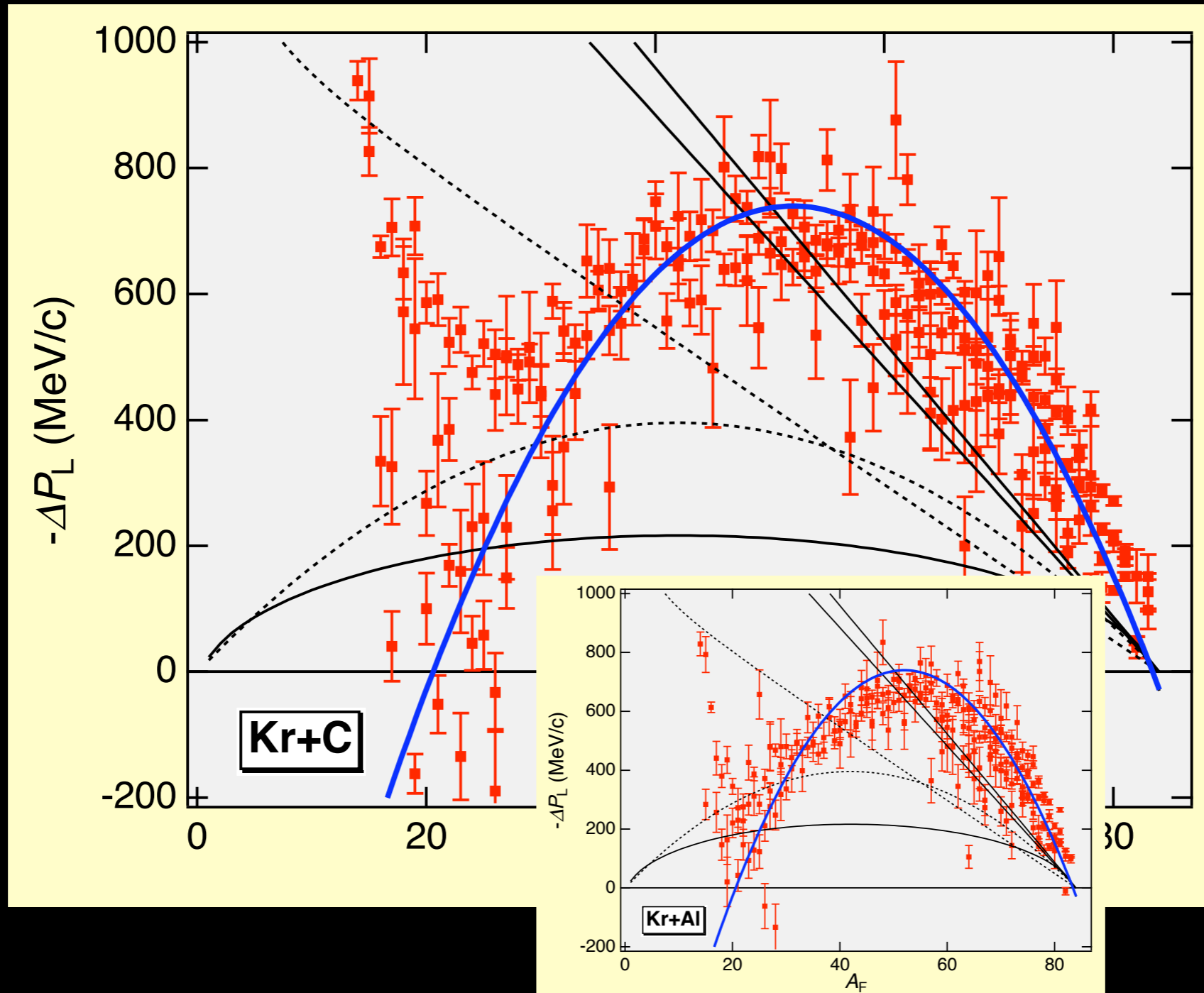


$\sigma_{\text{Low}}/\sigma_{\text{High}}$  : Universal parameter at 290 MeV/u

# Shift of $P_L$ distribution : Ar



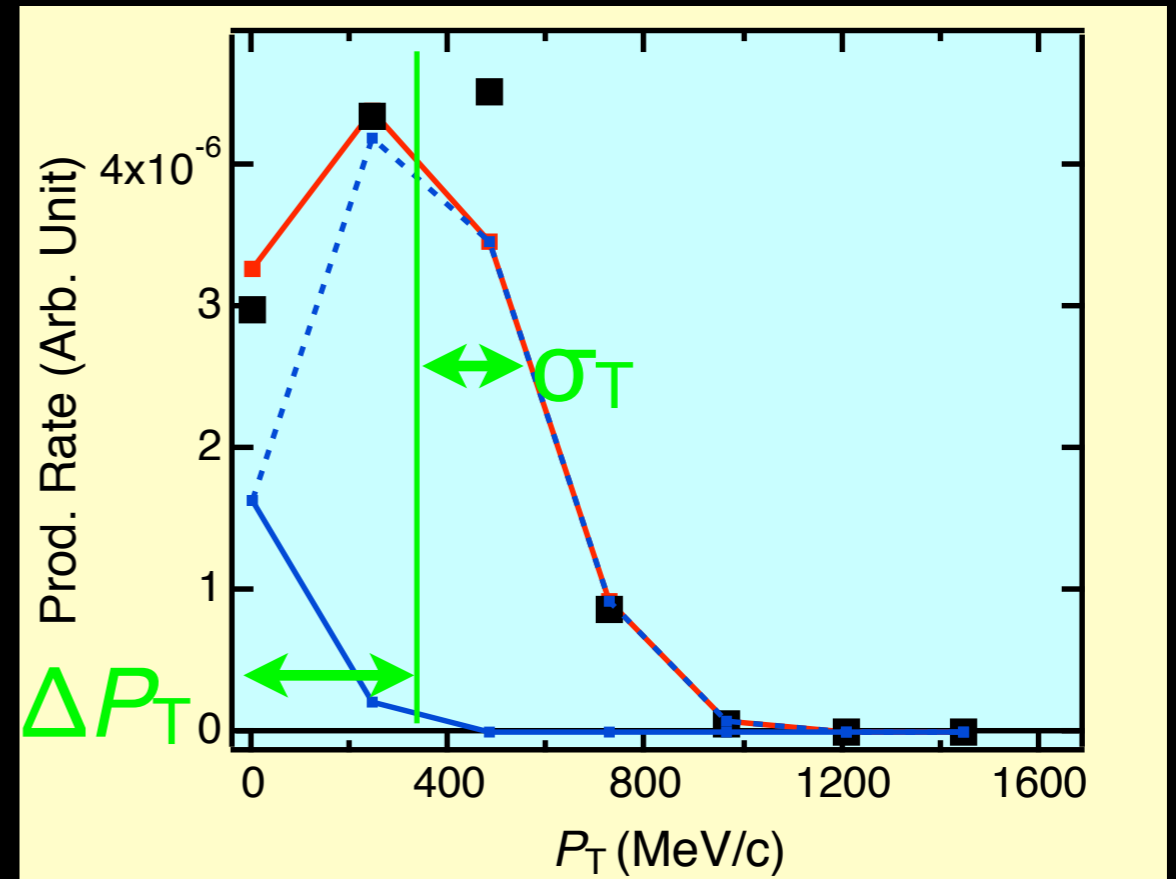
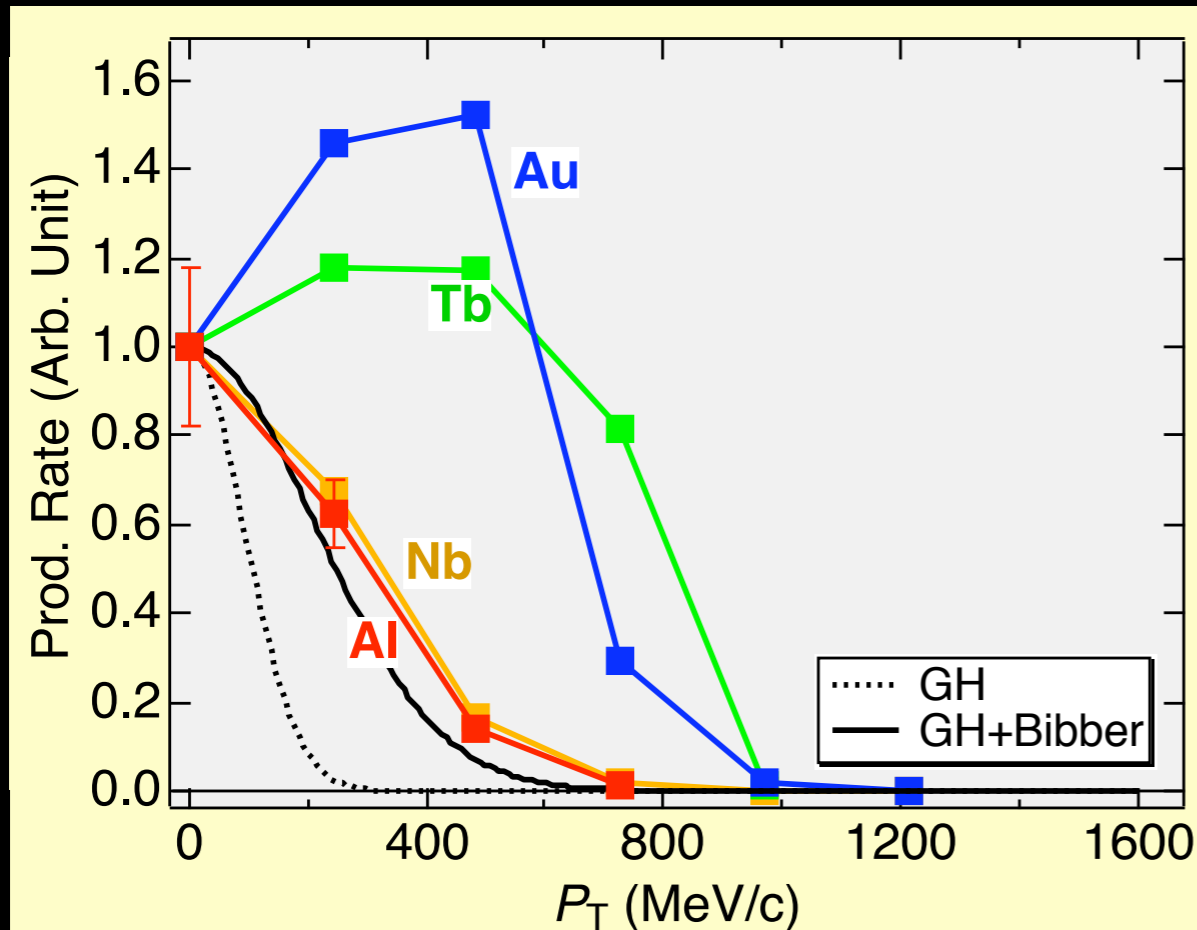
# Shift of $P_L$ distribution : Kr



# $P_T$ distribution : Ar

$^{40}\text{Ar} + \text{Target} \rightarrow ^{39}\text{Cl} + X$

Function fitting

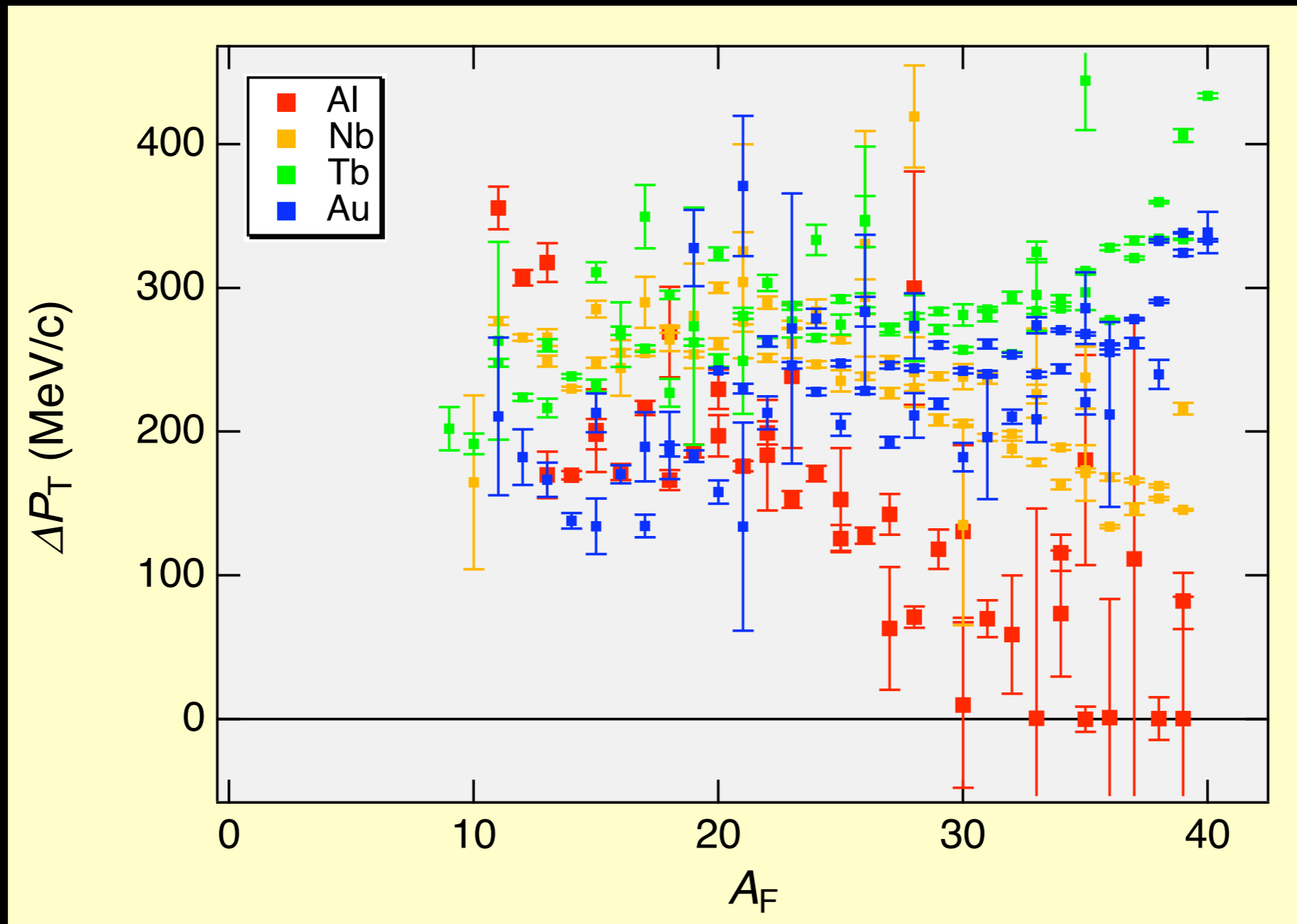


Off-centered Gaussian functions

$$f(P_T) = k \left\{ \exp\left(-\frac{(P_T - \Delta P_T)^2}{2\sigma_T^2}\right) + \exp\left(-\frac{(P_T + \Delta P_T)^2}{2\sigma_T^2}\right) \right\}$$

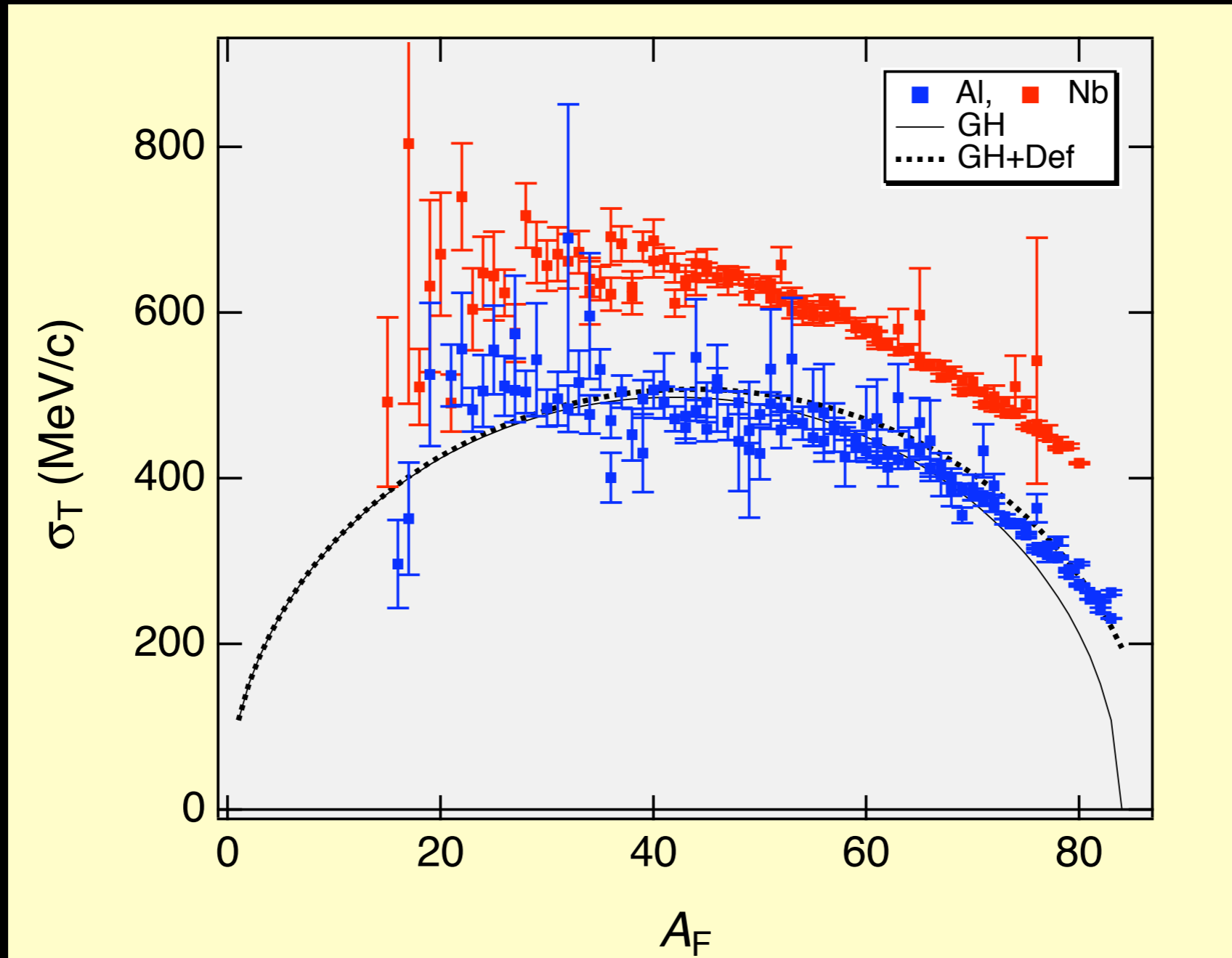
$\sigma_T$  is fixed.

# Width of $P_T$ distribution : Ar





# Width of $P_T$ distribution : Kr



# Summary

- $P_L$  distribution

Contribution of multiple-step processes

$$\sigma_{\text{Low}} / \sigma_{\text{High}} = 1.2 \sim 1.3$$

less than  $E = 90 \text{ MeV/u}$

Reduced momentum width ( $100 \sim 1000 \text{ GeV/u}$ )

decreases with  $E$  for Kr-beam

Momentum shift

maximum at  $A_F \sim 25$  (Ar), 50 (Kr)

- $P_T$  distribution

Deflection of orbit caused by Coulomb force

Systematics?

Reliable  $\sigma_{\text{Prod.}}$  produced from heavy target